Seat No:_____

PARUL UNIVERSITY FACULTY OF IT & COMPUTER SCIENCE MCA. Summer 2018 – 19 Examination

Enrollment No:___

| | | MCA, Summer | 2018 – 19 Examination | | | |
|-----------------|--|---|---|-----------------------------------|----------------|------|
| Subje | ster: 2 ct Code: 05291151 ct Name: Computer C | Driented Numerical and | Statistical Methods | Date: 24/ Time: 2: Total Ma | 00pm to 4:30pn | n |
| | ictions: | | | | | |
| 2. Fig 3. Ma | questions are compulse ures to the right indicat ke suitable assumptions rt new question on new | e full marks. wherever necessary. | | | | |
| Q.1 | Answer the followin | ıgs. | | | | |
| А. | Do as directed | | | | | (05) |
| | 1. Define Relative e | error | | | | |
| | 2. State relation bet | ween mean, median an | d mode. | | | |
| | 3. Round off the nu | mber 223.56389 to 3 d | ecimal places | | | |
| | 4. Write a probabili | ty mass function of Bi | nomial distribution. | | | |
| | 5. Define Probabilit | - | | | | |
| B. | Multiple choice type | e questions/ Give the | sentence true or false | | | (10) |
| | | - | la value of p = | | _• | |
| | | | | | | |
| | a) $\frac{x-x_0}{h}$ | b) $\frac{x_0 - x}{h}$ | c) $\frac{x_n - x}{h}$ | d) None o | f these | |
| | 2. How many signific | cant digits are there in | 2.10500? | | | |
| | a) 2 | b) 3 | c) 4 d) 6 | | | |
| | 3. Which of the follo | wing method is direct | method? | | | |
| | a) Gauss Seidel | b) Gauss Jacobi | c) Gauss Elimination | d) none o | of these | |
| | 4. Which one is the c | orrect formula of New | ton Raphson Method | | | |
| | a) $x_1 = x_0 - \frac{f(x_0)}{f'(x_0)}$ | b) $x_1 = \frac{f(x_0)}{f'(x_0)} - x_0$ | c) $x_1 = x_0 - \frac{f'(x_0)}{f(x_0)}$ | d) none of | f these | |
| | 5. The probability of | impossible event is | | | | |
| | a) 1 | b) 0 | c) 0.5 | d) none of | of these | |
| | 6. If A and B are mut | tually exclusive events | , then $P(A \cap B) = 0$. | | True/False | |
| | | correlation r takes valu | | | True/False | |
| | | | $P(A \cap B) = P(A) + P(B)$ | | True/False | |
| | | - | Newton Raphson method | | True/False | |
| | | rd rule, the interval sho | - | 1. | True/False | |
| 01 | 1 | | ulu de even. | | True/Faise | (15) |
| Q.2 | Answer the followin | - | data 0.265242004 | | | (15) |
| | | | data 2,3,6,5,3,4,3,2,2,4 | | | |
| | | - | in meters at a distance x | | | |
| | | ig table calculate the ai | rea of cross-section of th | e river usir | ng | |
| | Trapezoidal rule. | | | | | |
| | | | <u>(0</u> 70 00 | | | |

| | | | | | | | 60 | | |
|---|---|---|---|---|----|----|----|---|---|
| d | 0 | 4 | 7 | 9 | 12 | 15 | 14 | 8 | 3 |

3. If Y is the pull required to lift a load X by means of a pulley block, find a linear law of the form Y=a+bX connecting Y and X using the following data:

| Х | 12 | 15 | 21 | 25 |
|---|----|----|-----|-----|
| Y | 50 | 70 | 100 | 120 |

- **4**. The mean and variance of a Binomial distribution are 15 and 6 respectively. Find the values of n and p.
- 5. Probability distribution of a random variable is given:

| Х | 0 | 1 | 2 | 3 | 4 |
|------|------|---|-----|---|------|
| P(x) | 1/16 | р | 3/8 | р | 1/16 |

Find the value of p and E(x).

Q.3 Answer the following. (Any three)

- 1. Use bisection method to find a root of $x^3 + 4x 9 = 0$ up to 2 decimal places.
- 2. Solve by Gauss Seidel method up to 3 decimal places
 - 10x + y + z = 6, x + 10y + z = 6, x + y + 10z = 6

3.Estimate the number of students who obtained 45 marks in the test using Newton's

forward interpolation

| Marks | 40 | 50 | 60 | 70 | 80 |
|----------|----|----|-----|-----|-----|
| No. of | 31 | 73 | 124 | 159 | 190 |
| students | | | | | |

4. Use Lagrange's method to find the value of y when x=3 for the following information:

| Х | 0 | 2 | 5 | 8 |
|---|---|---|----|----|
| Y | 0 | 6 | 30 | 72 |

Q.4 Answer the following

- A. A stenographer claims that he can write at an average speed of 120 words per minute. In 100 trails he obtained an average speed of 116 words per minute with a standard deviation of 15 words. Is the claim justified? Use 5% level of significance for two tailed test. [table value :1.645]
- **B.** i. Using Runge-Kutta 2nd order Method, solve: $\frac{dy}{dx} = x + y$ with y(0) = 1. Taking h=0.1, (05)

compute y(0.2)

ii. The number of road accidents on a high way during a week is given below. Can it be concluded that the proportion of accidents are equal for all days.

| No. of accidents 14 16 8 12 11 9 14 | Day | Mon | Tue | Wed | Thu | Fri | Sat | Sun |
|--|-----------|-----|-----|-----|-----|-----|-----|-----|
| accidents | No. of | 14 | 16 | 8 | 12 | 11 | 9 | 14 |
| | accidents | | | | | | | |

[Table value: 12.59]

OR

B. 1. Find the mean and variance for a Poisson variate 3P(x = 2) = P(x = 4). (05)

2. Solve the following system of linear equations by Gauss Elimination method with partial pivoting.

$$x + y + z = 9$$

$$2x - 3y + 4z = 13$$

$$3x + 4y + 5z = 40$$
(05)

(15)