## PARUL UNIVERSITY FACULTY OF ARTS **B.Arts Winter 2017 – 18 Examination**

Seat No:\_\_\_\_\_

Semes Subjec Subjec	ter: 2 et Code: 15101152 et Name: Mathematical Methods for Economcis-I	Date: Time: Total	Date: 27/12/2017 Time: 10:30 am to 1:00 pm Total Marks: 60				
Instru	ctions:						
1. All (	questions are compulsory.						
2. Figu	res to the right indicate full marks.						
3 Mak	e suitable assumptions wherever necessary						
4 Star	t new question on new page						
1. Dtur	the we question on new page.						
0.1	Do as directed.						
A	Multiple choice type questions.			(08)			
1	$L_{0.05}$ (625)?			(00)			
1.	a) $4$		b) 8				
	$c)$ $\epsilon$		d) None of these				
2	$L_{0.05}(0.008)?$		d) None of these				
2.	2 = 2	<b>b</b> )	3				
	a) $-2$	(U d)	-J None of these				
2	C) J Variable are those which do not depend on	u) Noth	None of these				
5.	variable are mose which do not depend on	I OUIE	I valiables.				
	a) Dependent $a = \frac{1}{2} - \frac{1}{2$	(U -1)	Name of the sec				
4	c) Both a) and b) $T = \frac{1}{2} \left( \frac{1}{2} + \frac$	. a)	None of these				
4.	directly and indirectly per unit of final demand.	ving	matrices are interpreted as inj	puts required			
	a) A	b)	(I-A)				
	c) $(I-A)^{-1}$	d)	All of the above				
5.	In linear programming problem involving two variable	es mu	ltiple optimal solustions are o	obtained			
	when one of the constrains is						
	a) The objective function should be parallel to a const region.	raint	that forms boundary of the fe	easible			
	b) The objective function should be perpendicular to a	a con	straint that forms the boundar	y of the			
	feasible region.						
	c) Neither A) nor B)						
	d) Not constraints should be parallel to each other.						
6.	Value of determinant is computed by adding multiples	ofo	ne row to .				
	a) Another row	b)	Another column				
	c) Another dimension	d)	Another matrix				
7.	According to determinant properties, multiple of one r	ow is	added to another row then d	eterminant			
	<u> </u>	1 \	1.1 11 1				
	a) Changed	b)	multiplied				
0	c) unchanged	d)	added				
8.	An input-output model which has endogenous final de	mano	l vector is known as				
	a) Open Input-output model	b)	Close Input-output Model				
	c) Static Input- output Model	d)	Dynamic Input-output Mod	el			
9.	Linear programming technique was developed for the	first	time by				
	a) Koopmans	b)	Danzig				
	c) Leontief	d)	Mahalanobis				
10.	For a viable Input-output system which conditions are	post	ulated?				
	a) Hawkins- Simon condition	b)	Kuhn – Tucker condition				
	c) Bhagawati- Eckaus condition	d)	Von-Neumann condition				
11.	Input-output Technique was invented by						
	a) Gunnar Myrdal	b)	Wassily Leontief				
	c) Hollis B. Chenery	d)	Robert Solow				

12.	Function is one which has no breaks in its curve.						
	a)	Limits	b)	Continuity			
	c)	Both a) and b)	d)	None of these			
13.		is the process of finding the derivative of a fu	nct	ion.			
	a)	Continuity	b)	differentiation			
	c)	Both a) and b)	d)	None of these			
14.	Indication of number of rows and number of columns in a matrix is classified as						
	a)	Direction	b)	Dimension			
	c)	Classification	d)	Specification			
15.	lt	$Y = 8x^{\circ}$ , then dy/dx = ?	1 \	$20^{2}$			
	a)	$26x^2$	b)	$20x^{2}$			
16	c)	$24X^{2}$	d)	12x <sup>2</sup>			
16.	II a)	y = 3x + 4, then $f(0) = ?$	<b>L</b> \	2			
	a)	4	0) 4)	J None of these			
р	Do	L fine torms	u)	None of these	(07)		
D	1	Convertiv			( <b>0</b> )		
	$\frac{1}{2}$	Variable					
	2. 3	Differentiation					
	з. 4	Relative Extrema					
	5.	Equation					
	6.	Optimization					
	7.	Function					
<b>Q.2</b>	Ar	nswer the following.					
Ā	. WI	hat is the role of linear algebra?			(04)		
B	. WI	hat is increase and decreasing function?			(04)		
C	. W	hat is concavity and convexity?			(04)		
		OR					
C	• W	hat is inflection point?			(04)		
Q.3	Ar	nswer the following.					
A	Us.	ing Carmer's rule solves the equation.			(05)		
	a)	X - 3Y = 4 b) 72	X –	7Y =8			
_	5X+7Y+8 $-5X-3Y=2$						
В	<b>.</b> Fir	nd the sum $A + B$ of the following matrices.			(05)		
	1)	$A = \begin{bmatrix} 8 & 9 \\ 12 & 7 \end{bmatrix}$ $B = \begin{bmatrix} 13 & 4 \\ 2 & 6 \end{bmatrix}$					
		(12 7) $(2 6)$					
	$\mathbf{a}$	A = 7 10 $B = 69$ (1)					
	2)	A = 7 - 10 $D = -6 - 4g = 2$ $12 - 6$					
ſ	$(-6 \ 2)$ $(12 \ -0)$ C Find the difference A P for each of the following matrices						
C	1) $A = \begin{pmatrix} 3 & 7 \end{pmatrix}$ $B = \begin{pmatrix} 6 & 8 \end{pmatrix}$						
	1)	$A = \begin{bmatrix} 3 & 7 \\ 12 & 9 \end{bmatrix} = \begin{bmatrix} 0 & 0 \\ 9 & 5 \end{bmatrix}$					
	2)	A = (16) $B = (7)$					
	,	2 11					
		15 3					
		OR					
C	C. Change the following logarithms to their equivalent exponential forms. (						
	1)	$\log_8 64 = 2$ 2)	lo	$\log_2 y = 7x$			
	3) $\log_a y = 6x$ 4) $32 = 2^3$						

## Q.4 Answer the following.

- **A.** Find the determinant |A| for the following matrices.
  - 1)  $A = \begin{bmatrix} 9 & 13 \\ 15 & 18 \end{bmatrix}$  2)  $= \begin{bmatrix} 40 & -10 \\ 25 & -5 \end{bmatrix}$  3)  $A = \begin{bmatrix} 7 & 6 \\ 9 & 5 \\ 2 & 12 \end{bmatrix}$

**B.** Find the equilibrium price and quantity for the following market. (06) 1)  $Q_s = -20 + 3P$  2)  $Q_s = -45 + 8P$ 

- $Q_{s} = -20 + 3P$  (2)  $Q_{s} = -45 + 8P$  $Q_{d} = 220 - 5P$  (2)  $Q_{d} = 125 - 2P$
- 3)  $Q_s + 32 7P = 0$  $Q_d - 128 + 9P = 0$

## C. What is Input-Output analysis? Explain its main features and importance. (06)

## OR

C. What is Linear programming? What are the assumptions for linear programming of the firm, give one (06) example.

(06)