Semester: 1/7

## PARUL UNIVERSITY FACULTY OF APPLIED SCIENCE M.Sc./IMSC, Winter 2019-20 Examination

Enrollment No: \_\_\_\_\_

Date: 02/12/2019

Semester: 1/7 Subject Code: 1120/102	Date: $\frac{12}{2019}$
Subject Code: 11204102 Subject Name: Classical Mechanics I & Statistical Mechanics	Time: 10:30 am to 01:00 pm Total Marks: 60
Subject Particle Classical Preclames F & Statistical Preclames         Instructions:         1. All questions are compulsory.         2. Figures to the right indicate full marks.         3. Make suitable assumptions wherever necessary.         4. Start new question on new page.	
<ul> <li>Q.1. A) Essay type/ Brief note (4x2) (Each of 04 marks)</li> <li>(a) Derive the Canonical transformation equation using the generating F(q,P,t).</li> <li>(b) Derive the canonical equation in term of Poisson bracket.</li> </ul>	(08) function F(q,Q,t) and
<ul> <li>Q.1. B) Answer the following questions (Any two)</li> <li>(a) Short note/ Brief note (2x2)/ Schematically label the figures (2x2) (1</li> <li>1. Define Poisson bracket</li> <li>2. Define eigen vector and eigen frequency.</li> </ul>	Each of 02 marks) (04)
<ul><li>(b) Explain the separation of variable in the Hamilton Jacobi equation.</li><li>(c) Briefly explain the small oscillation of the particle on string.</li></ul>	(04) (04)
<ul> <li>Q.2. A) Answer the following questions.</li> <li>(a) Short note/ Brief note (2x2)/ Fill in the blanks. (Each of 02 marks)</li> <li>1. Write down the Hamiltonian equation of motion</li> <li>2. Write down the general case of coupled oscillation</li> </ul>	(04)
(b). Explain the application of Euler's angle in the heavy symmetric top	o. (04)
Q.2. B) Answer the following questions (Any two) (a) Short note/ Multiple choice questions. (Each of 01 marks) 1. Lagrangian L is: (A) $L = \sum p\dot{q} - H$ (B)	$(03)$ $L = \sum p\dot{q} + H$
(C) $L = \sum pq - H$ (D) 2. For a transformation to be canonical, if: (A) Poisson bracket changes sign (B) Poisson bra	$L = \sum p\dot{q}$ cket becomes zero cket becomes invariant
(A) $Ce^{i\omega t}$ (B) $Ce^{i\omega t}$ (C) $Ce^{i\omega t}$ (b) Derive the expression of Hamilton Jacobi equation. (c) Define and explain the Euler's angle.	ωt (D) Ce <sup>iωt</sup> (03) (03)
<ul> <li>Q.3. A) Essay type/ Brief note (4x2) (Each of 04 marks)</li> <li>(a) Explain the power spectrum of fluctuation and their correlation.</li> <li>(b) Explain the first order phase transition</li> </ul>	(08)
<ul> <li>Q.3. B) Answer the following questions (Any two)</li> <li>(a) Short note/ Brief note (2x2)/ Schematically label the figures (2x2)</li> <li>1. Write down the statement of fluctuation-dissipation theorem.</li> <li>2. Draw a Phase transition diagram for water.</li> </ul>	(Each of 02 marks) ( <b>04</b> )
<ul><li>(b) Explain the Brownian motion of particles.</li><li>(c) Describe the Vander Walls theory of liquid condensation.</li></ul>	(04) (04)
<ul> <li>Q.4. A) Answer the following questions.</li> <li>(a) Short note/ Brief note (2x2)/ Fill in the blanks. (Each of 02 marks)</li> <li>1. Fokker Planck equation is</li></ul>	(04)
(b) Describe the theory of Ising model.	(04)

## Q.4. B) Answer the following questions (Any two)

(a) Short note/ Multiple choice questions. (Each of 01 marks)			(03)	
1. The Gibbs free energy	vis:			
(A) $G = H + TS$	(B) G = H - TS	(C) $G = TS$	(D) None of these	
2. Latent heat is:				
(A) T- S	(B) T+ S	(C) T/ S	(D) T S	
3. Shot noise is related to	<b>)</b> :			
(A) Sound vibrat	ion	(B) During th	e generation of waves	
(C) fluctuation due to discrete charge		(D) None of t	these	
carriers				
(b) State and explain Wiener - Khinching theorem.		(03)		
(c) Write down the condition	n of Phase equilibrium.			(03)